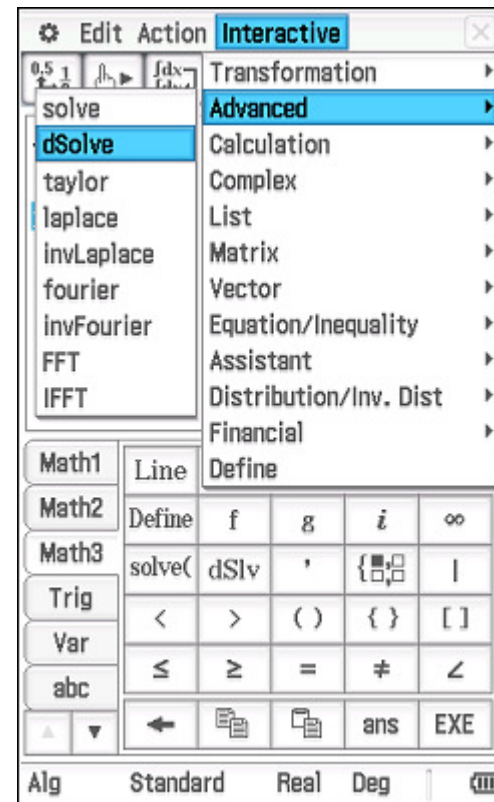
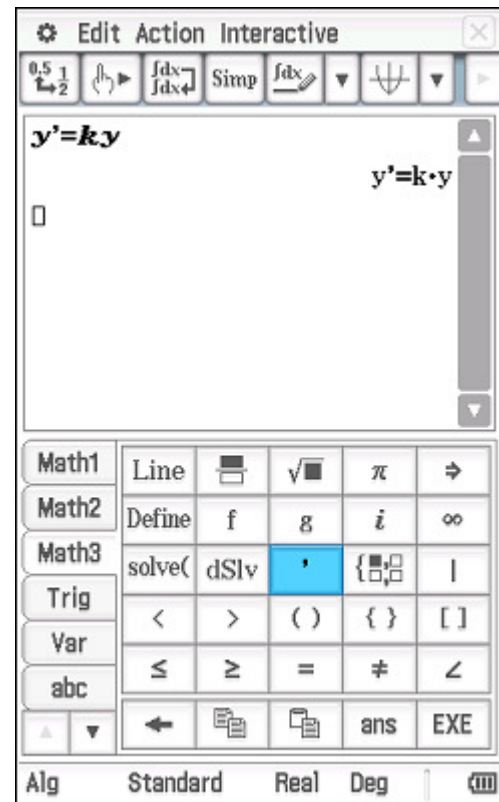


The number of people,  $y$ , is such that  $y' = ky$ . Originally there were 420 people. 2 weeks later this number had increased to 500.

Determine  $k$ .

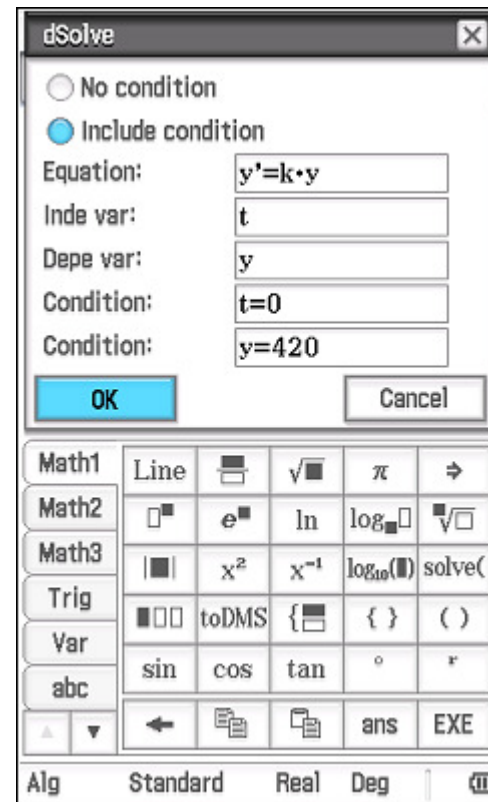
Enter the equation  $y' = ky$  using the Math3 keyboard.

Select the equation and tap **Interactive**, **Advanced**, **dSolve**.



Tap **Include condition**.

Enter the data and tap **OK**.

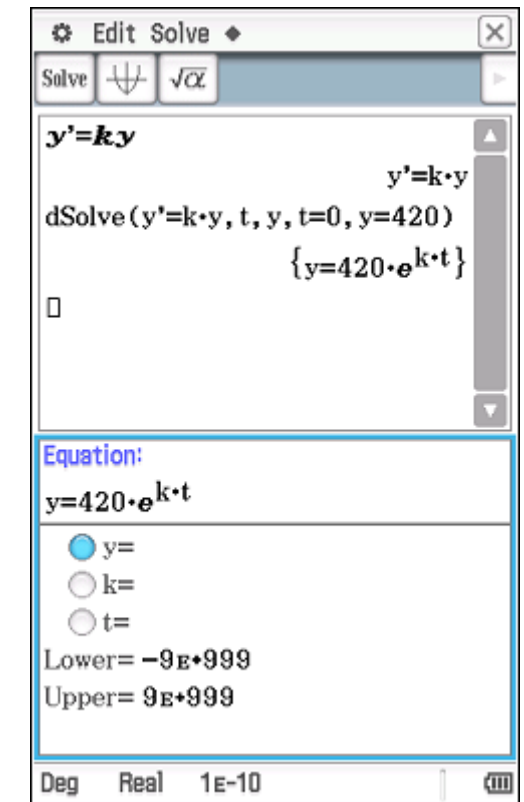


A solution is returned.

Open **NumSolve** in the bottom half of the screen.

Drag the solution into the equation entry area.

Tap **EXE**.



Enter the values  $y = 500$  when  $t = 2$   
and solve for  $k$ .

How many people are expected to have  
the illness after 5 weeks?

Change  $t = 5$  and solve for  $y$ .

How long until 1000 people have the  
illness?

Change  $y = 1000$  and solve for  $t$ .

Close NumSolve and tap **Edit, Clear All  
Variables** in Main.

(This clears the values assigned to the  
variables  $y$ ,  $k$  and  $t$  in NumSolve.)

Edit Solve

Solve  $\sqrt{x}$

$y' = ky$   $y' = k \cdot y$

Result

$k = 0.0871767$   
Left-Right=0

OK

Equation:

$y = 420 \cdot e^{k \cdot t}$

$y = 500$   
  $k = 0.0871766935723894$   
  $t = 2$

Lower=  $-9E+999$   
Upper=  $9E+999$

Deg Real  $1E-10$

Edit Solve

Solve  $\sqrt{x}$

$y' = ky$   $y' = k \cdot y$

Result

$y = 649.45801$   
Left-Right=0

OK

Equation:

$y = 420 \cdot e^{k \cdot t}$

$y = 649.45800665474$   
  $k = 0.0871766935723894$   
  $t = 5$

Lower=  $-9E+999$   
Upper=  $9E+999$

Deg Real  $1E-10$

Edit Solve

Solve  $\sqrt{x}$

$y' = ky$   $y' = k \cdot y$

Result

$t = 9.9510607$   
Left-Right=0

OK

Equation:

$y = 420 \cdot e^{k \cdot t}$

$y = 1000$   
  $k = 0.0871766935723894$   
  $t = 9.95106068096487$

Lower=  $-9E+999$   
Upper=  $9E+999$

Deg Real  $1E-10$

Edit Action Interactive

Undo/Redo Solve

Cut

Copy

Paste

dSo Select All

Delete

**Clear All Variables**

Clear All

$y' = ky$   $y' = k \cdot y$

,  $y = 420$ )  
 $420 \cdot e^{k \cdot t}$

Equation:

$y = 420 \cdot e^{k \cdot t}$

$y = 1000$   
  $k = 0.0871766935723894$   
  $t = 9.95106068096487$

Lower=  $-9E+999$   
Upper=  $9E+999$

Alg Standard Real Deg