

An eActivity is used to show ways to deal with the ambiguous case of the sine rule when solving obtuse triangles. In this case the problem is to find the size of angle B when angle C is  $55^\circ$ ,  $AB = 6\text{cm}$  and  $AC = 7\text{cm}$ .

Start a new eActivity and save it with a suitable filename. Insert a Geometry strip and draw a triangle with the constraints above.

The previous screen shows that angle B is close to  $73^\circ$ .

Now select just the corner B, drag it towards corner C and release.

Measuring the angle B now gives  $107^\circ$ .

Try dragging B to other places. *Hint: Use Edit, Undo if strange things happen!*

Now insert a NumSolve strip.

Use the keyboard to enter the sine rule.

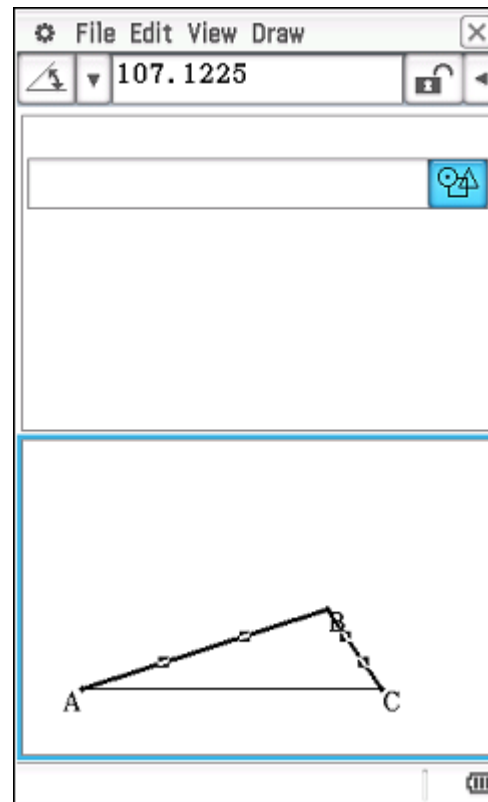
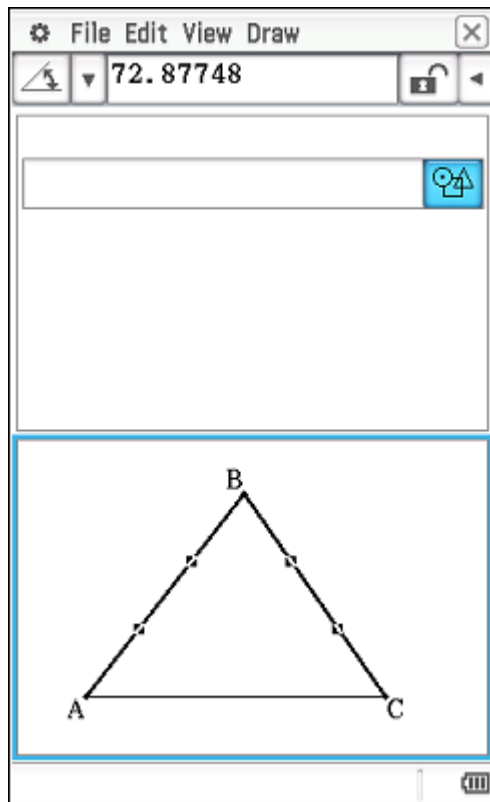
Set the values for a, A and b, and enter  $45^\circ$  as an acute approximation for the solution to B.

Check the radio button next to B and tap Solve.  $B = 73^\circ$ .

Now enter  $135^\circ$  as an obtuse approximation for the solution to B.

Check the radio button next to B and tap Solve.

$B = 107^\circ$ .



Tap **Interactive, Equation/Inequality, solve** and tap the Solve numerically button.

Now insert a Main strip.

Use the keyboard to enter the equation

$$\frac{6}{\sin 55} = \frac{7}{\sin x}$$

and then select it.

Modify the Upper and Lower values to 0° and 90° (the bounds for acute angles) and then tap **OK**.

A warning appears. Tap **OK**.  $x = 73^\circ$ .

Repeat, this time using the Lower and Upper as the bounds for obtuse angles, 90° to 180°.

$x = 107^\circ$ .

Close the Main window and save your updated eActivity.

Equation:  $\frac{6}{\sin(55)} = \frac{7}{\sin(x)}$

Equation:  $((6) / (\sin(55)))$

Variable:  $x$

Value:  $0$

Lower:  $0$

Upper:  $90$

Equation:  $\text{solve}\left(\frac{6}{\sin(55)} = \frac{7}{\sin(x)}, x, 0, 0\right)$   $\{x=72.87748312\}$

Equation:  $\text{solve}\left(\frac{6}{\sin(55)} = \frac{7}{\sin(x)}, x, 0, 90\right)$   $\{x=107.1225169\}$

Equation:  $\text{solve}\left(\frac{6}{\sin(55)} = \frac{7}{\sin(x)}, x, 0, 0, 90\right)$   $\{x=72.87748312\}$

Equation:  $\text{solve}\left(\frac{6}{\sin(55)} = \frac{7}{\sin(x)}, x, 0, 90, 180\right)$   $\{x=107.1225169\}$